NAME\_\_\_

THE LIVING ENVIRONMENT

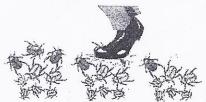
AVERILL PARK HS
Molecular Evolution



Driftworms: GENETIC DRIFT Simulation

INTRODUCTION





Evolution is the process by which modern organisms have descended from ancient ancestors over long periods of time. It is responsible for both the remarkable similarities we see across all life and the amazing diversity of that life. Evolution is often described as "descent with modification." But what exactly is being modified? Evolution only occurs when there is a change in gene frequency within a population over time. These resulting genetic differences can be passed on to the next generation over time (i.e., inherited), which is what really matters in evolution - long term change.

The major forces/mechanisms of change implicit in evolution are mutations, recombination, migration (gene flow in & out of a population), non-random mating, natural selection & genetic drift. These forces cause changes in genotypes & phenotypes over time and also determine the amount & kind of variation seen in a population. This simulation focuses solely on genetic drift.

Genetic drift is the RANDOM decrease in gene frequency within a population due to the role of "chance" and/or unpredictable "accidents." Small populations that are isolated from one another can differ greatly as a result of genetic drift. The cheetah is a great example.

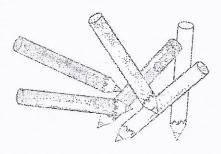
Let's examine a simple model of a population of fictional organisms called driftworms. Driftworms have only one gene that controls skin color. These worms reproduce asexually and are connected to their parents by lines. In any population of driftworms, each worm gives rise to exactly one worm in the next generation. There are five alleles (genes) that control skin color. In real life, some individuals have more offspring than others - purely by chance. The survival & reproduction of organisms is subject to unpredictable accidents. It doesn't matter how good your driftworm genes are if you get squished by a shoe before producing offspringl

- An ant may get stepped on
- A rabbit may get swept up by a tornado
- An elephant may drink a parasitic protozoan living in a puddle
- A plane may crash killing a Nobel Prize winner

None of the above events has anything to do with the dead organism's genotype and/or phenotype. These events occurred purely by chance.

## MATERIALS

- > Colored Pencils
- > Driftworm Worksheet
- > Single die



## METHODS

- 1. On the Driftworm Worksheet, color each of the five worms in Generation O (zero) a different color. You may choose the colors. Number the worms 1-5 (top to bottom).
- 2. Roll the die and put a dot (.) next to the corresponding worm. If you roll a 6, roll again.
- 3. Repeat Step 2 until you've chosen N numbers, where N is the number of worms in the population. In this case, N = 5.
- 4. Starting at the bottom, draw a line from each dot to the bottom-most worm in the next generation.
- 5. Color the worm(s) in the next generation the same color as its/their parent.
- 6. Repeat Steps 2-5 until ALL the worms in a generation are the SAME color. Please be patient since it may take a while. Group data will vary accordingly.

## RESULTS

✓ Please staple your Driftworm Worksheet to the BACK of this handout

## DISCUSSION

Ising your group's data, what was the number of generations until an allele became fixed?
sk five other groups what their number was. Record below.
retend we repeated this activity where N = 10 (instead of 5). Would your answer to Question #2 most likely increase OR decrease? Why? Please be specific.
hat is the mathematical relationship between population size AND the number of enerations it takes for an allele to become fixed?

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